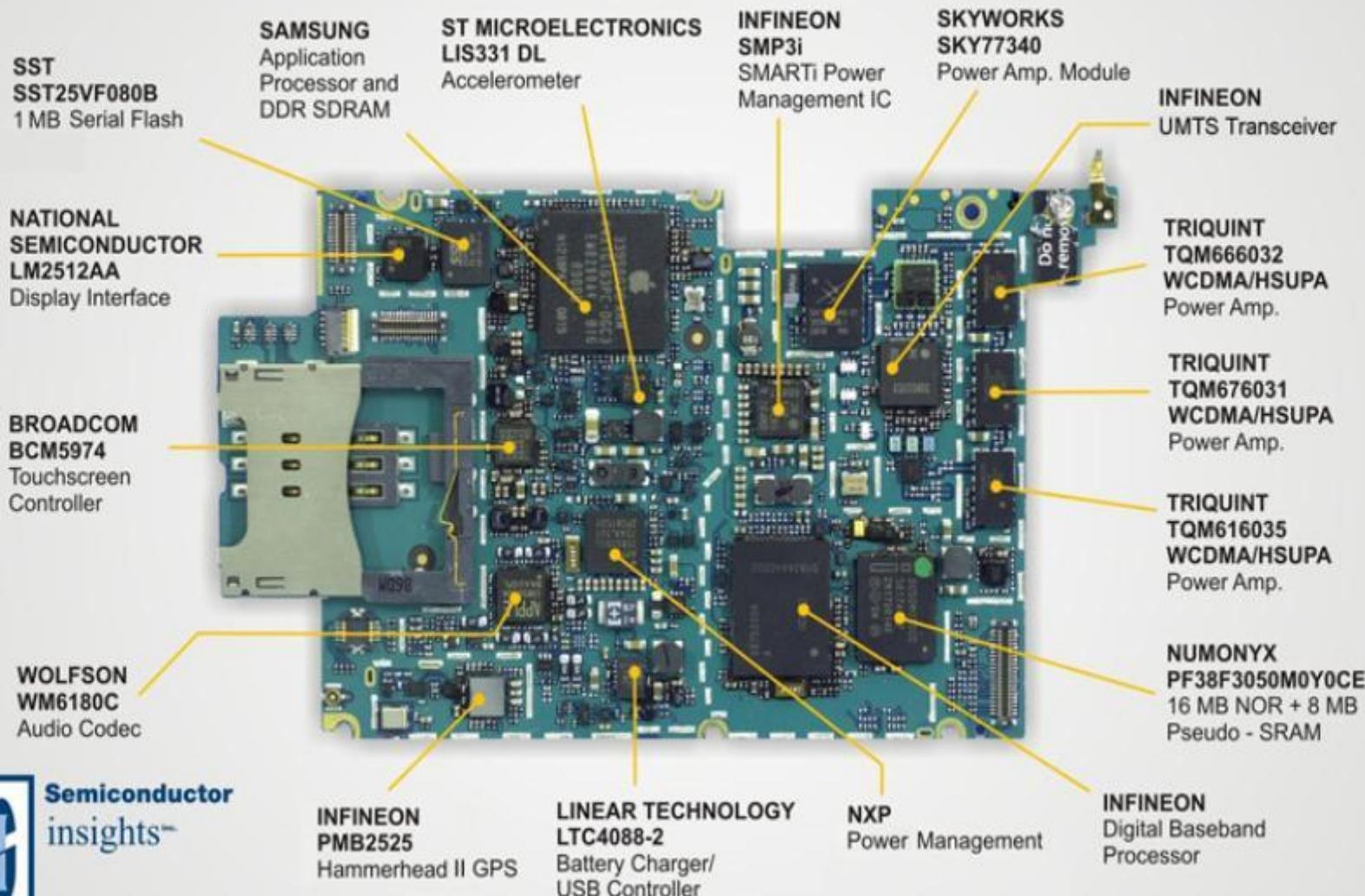


Cellular Phone System Diagram



Semiconductor
insights™

Outline

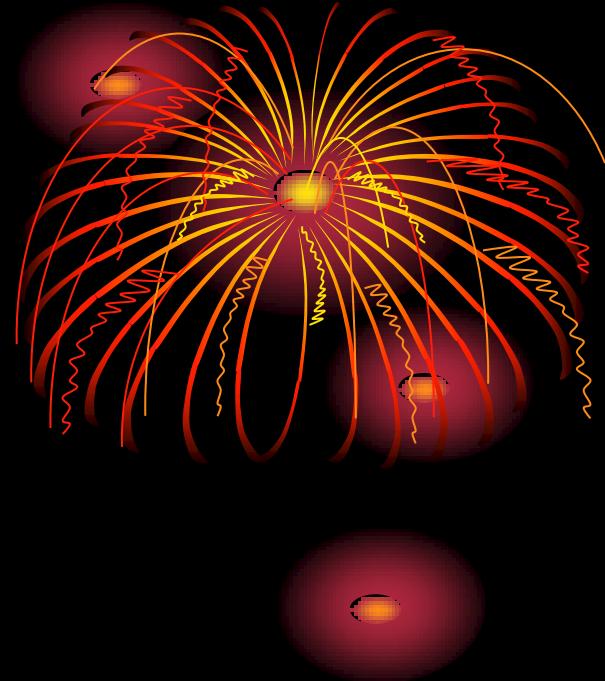
7.1 直流電路

7.2 串聯電阻

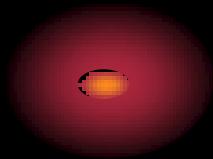
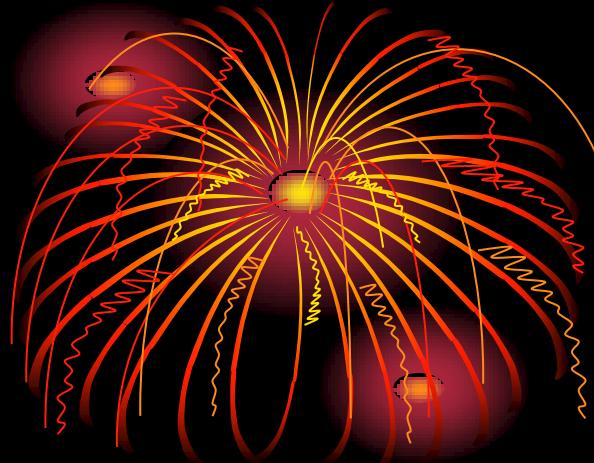
7.3 並聯電阻

7.4 交流電路

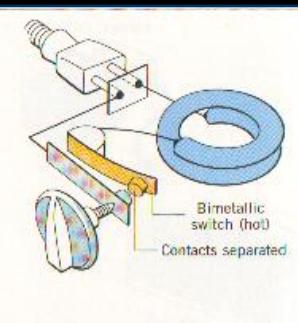
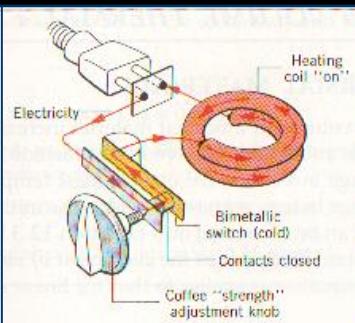
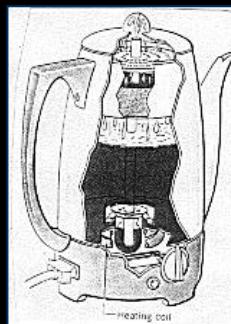
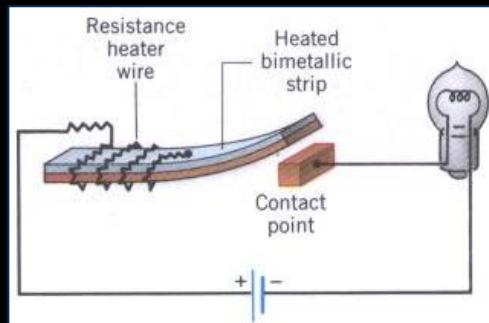
7.5 虛擬電路實驗



7.1 直流電路



- Direct Current Circuit
- A bimetallic strip flasher
- 以電阻電熱絲加熱bimetallic strip，約一秒啟閉一次，可用作警示裝置。

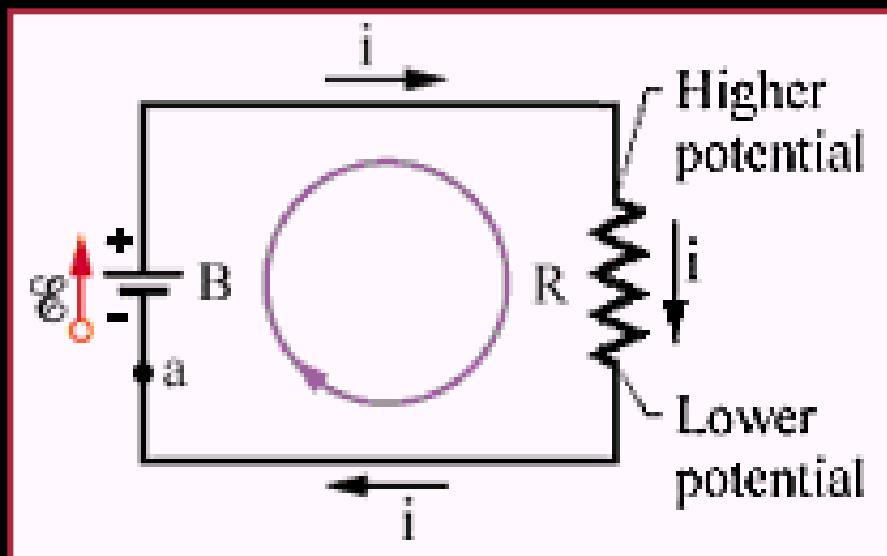


Ex.1 簡單直流電路內之電位(電壓)升降

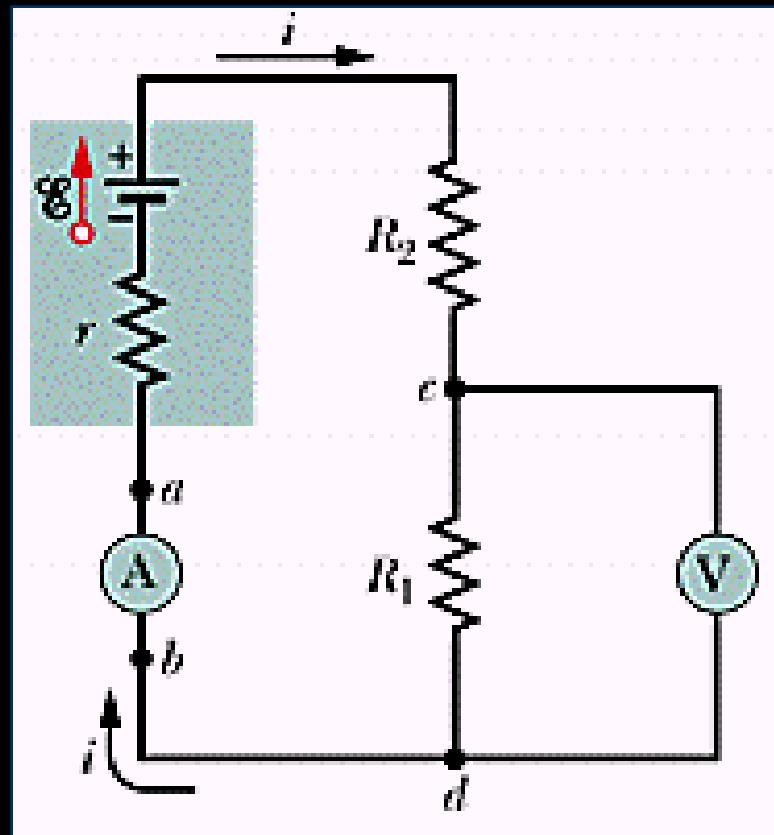
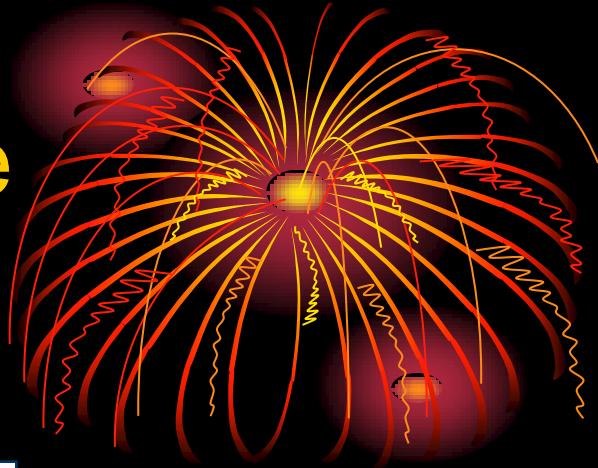


$$V_a + \mathcal{E} - iR = V_a$$
$$\mathcal{E} = iR$$

克希荷夫
Kirchhoff 週
路定理



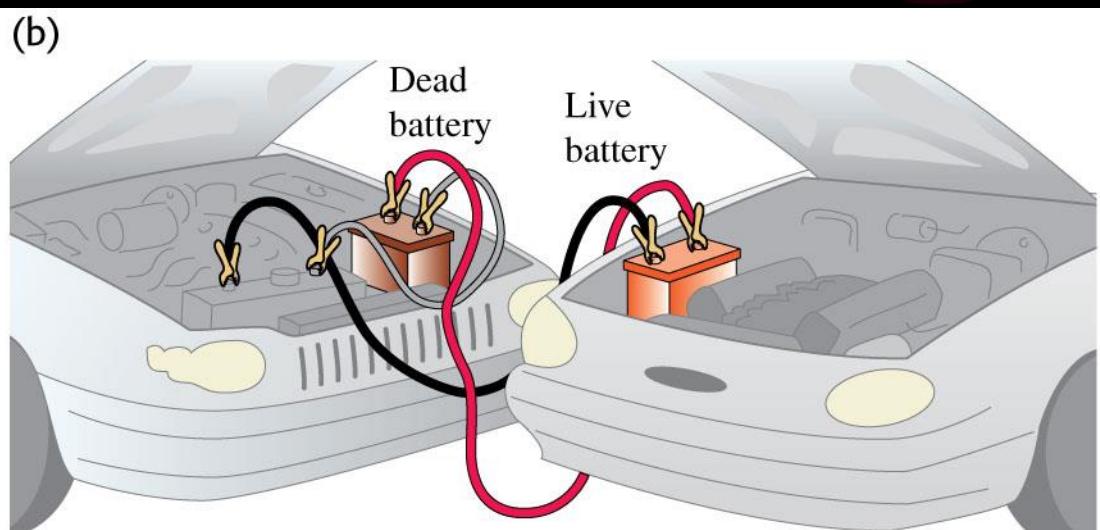
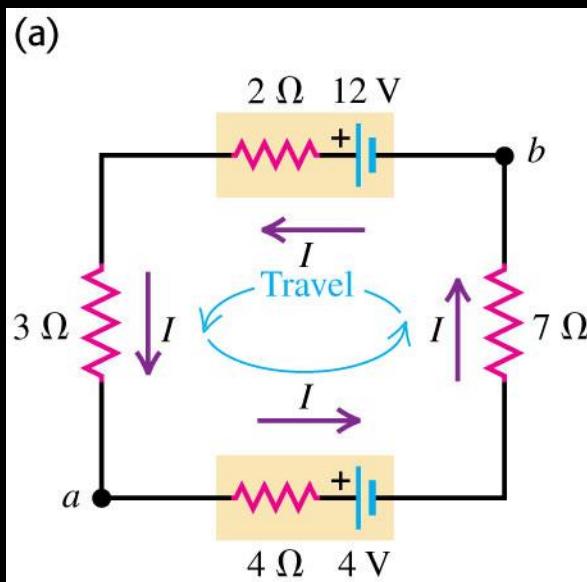
Ex.2 The Ammeter and the Voltmeter



A single-loop circuit

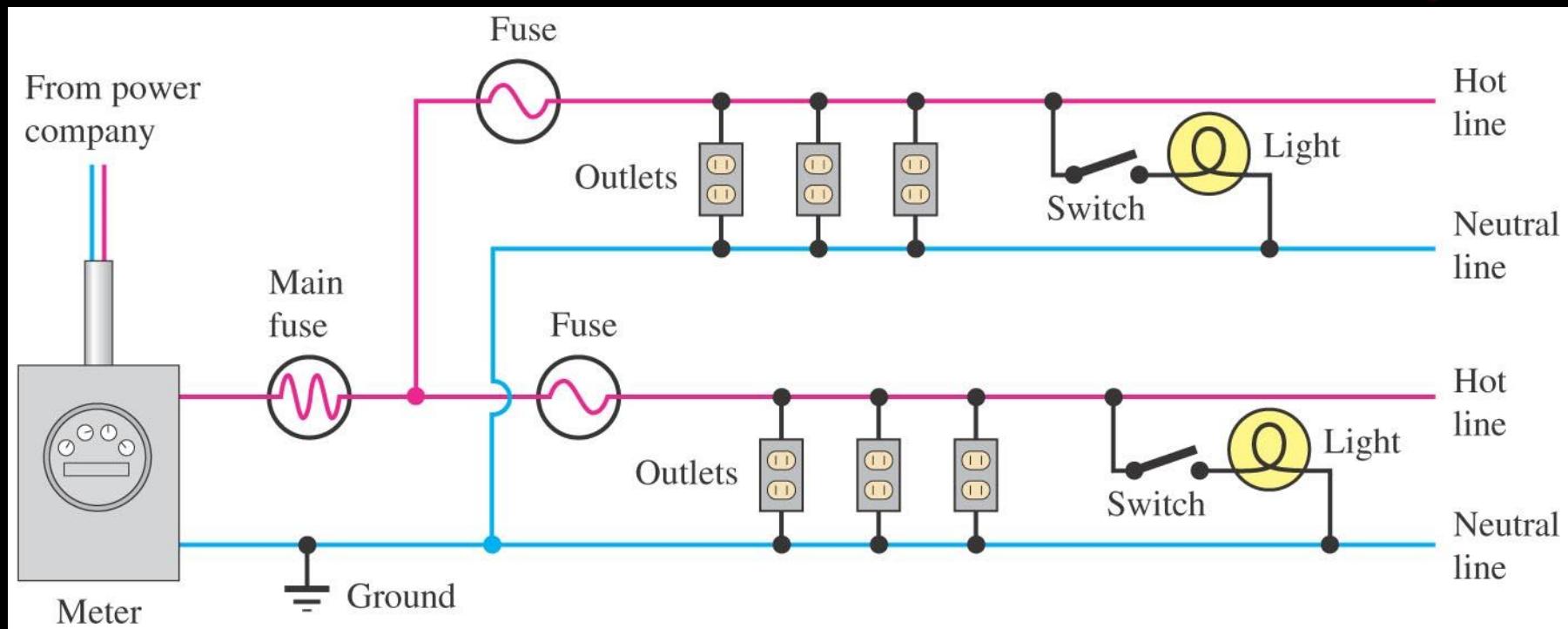


- Follow Example 26.3, using Figure 26.10 below.



Power distribution systems

- Follow the text discussion using Figure 26.24 below.

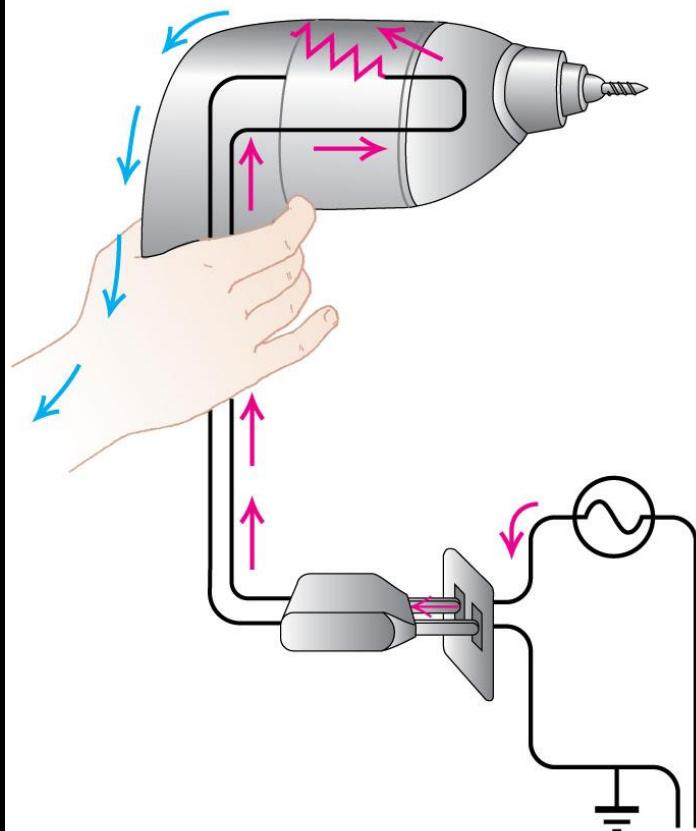


Household wiring

- **Figure 26.26 at the right shows why it is safer to use a three-prong plug for electrical appliances.**



(a) Two-prong plug



(b) Three-prong plug

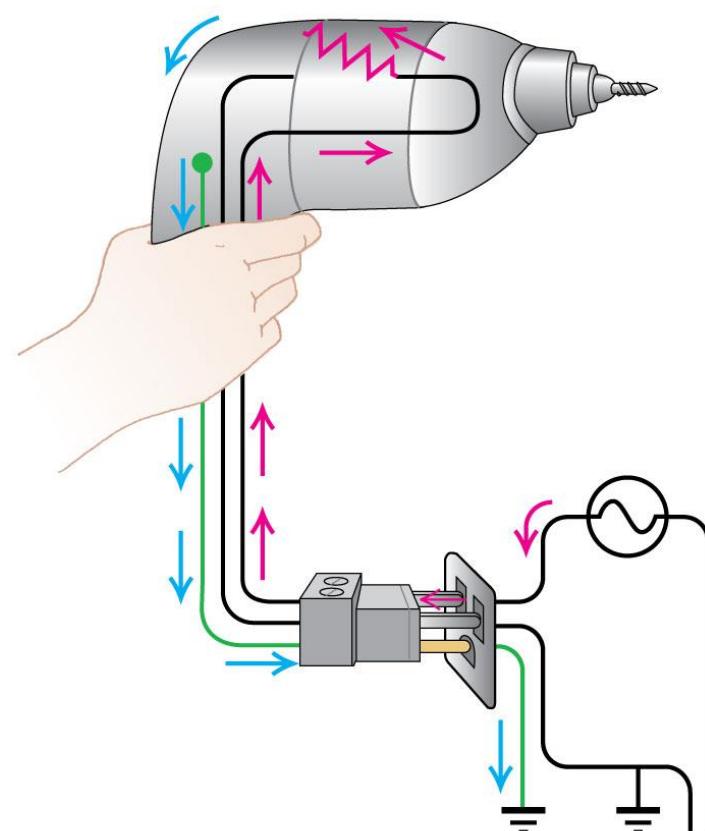
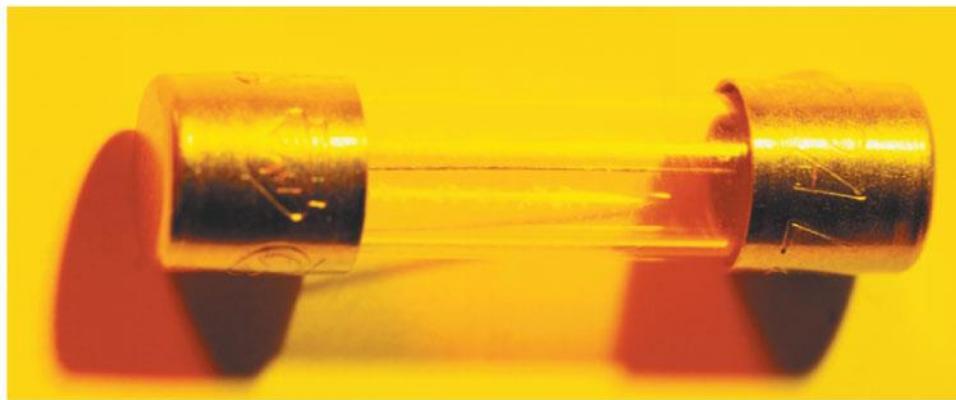


Figure 26.25

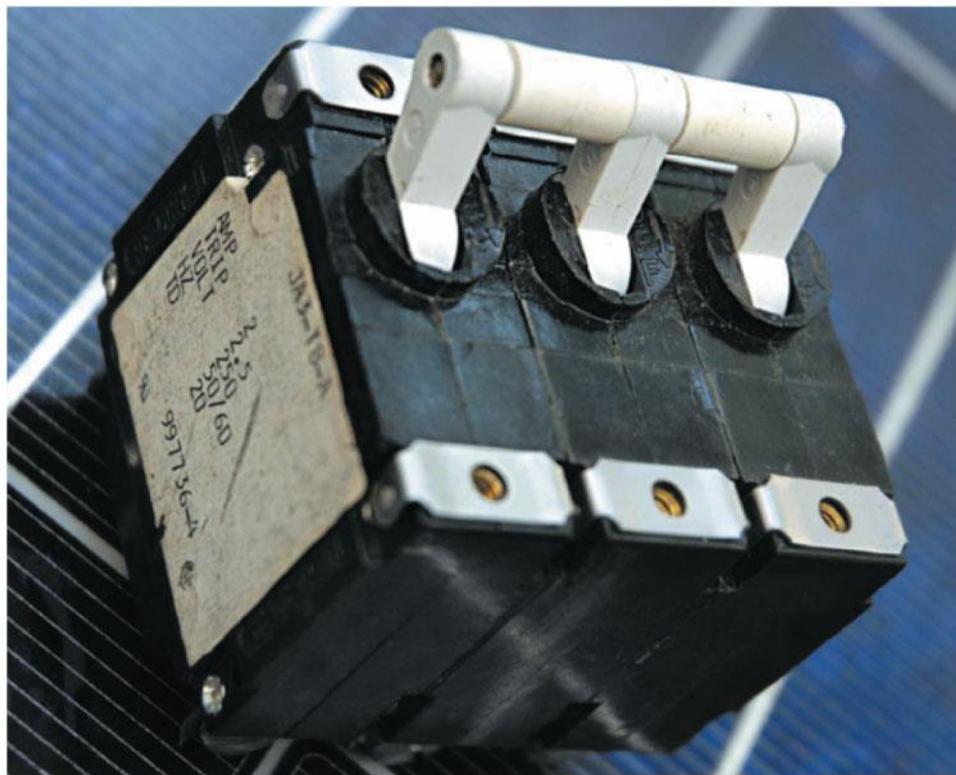
fuse

Circuit
breaker

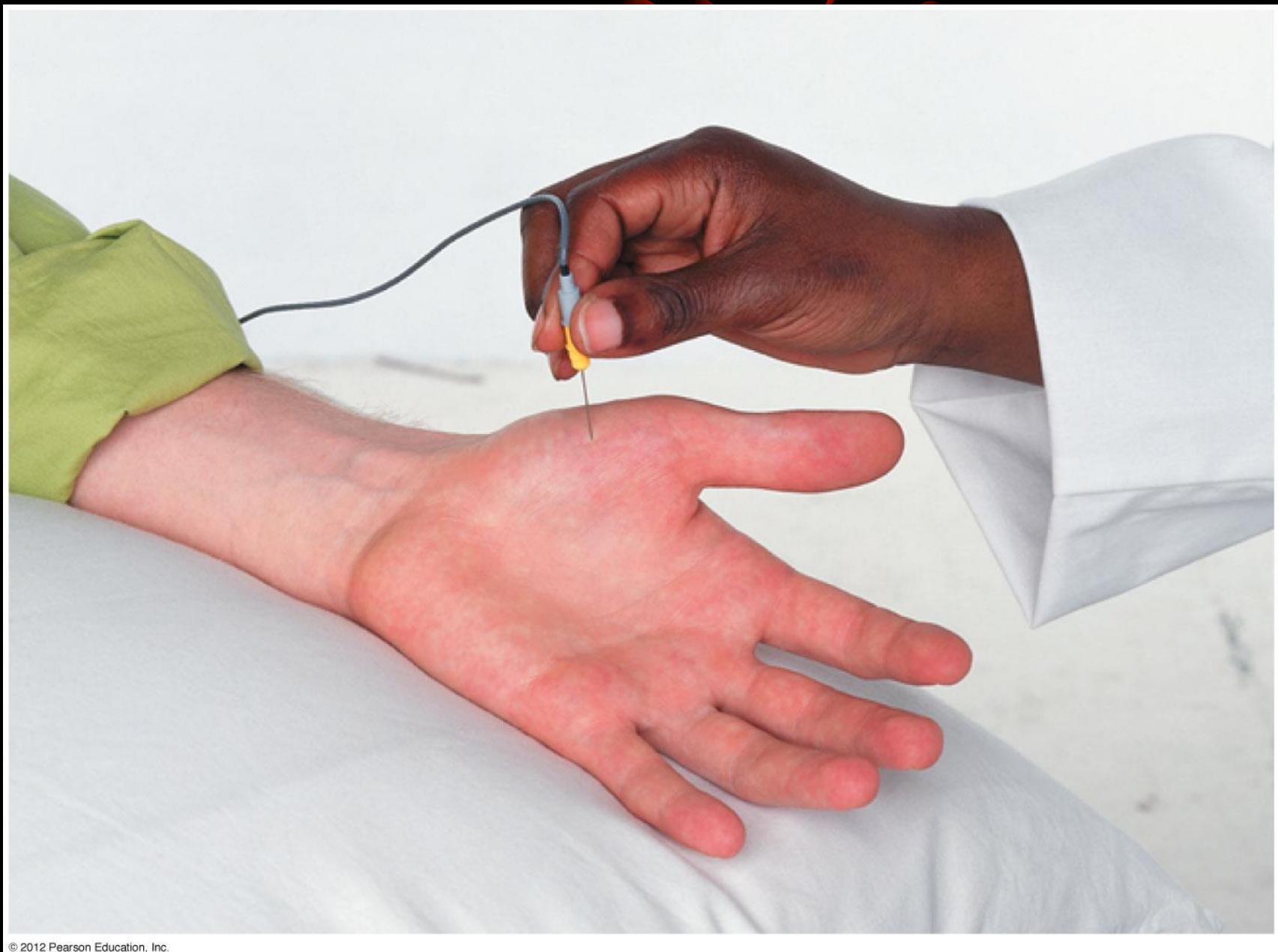
(a)



(b)

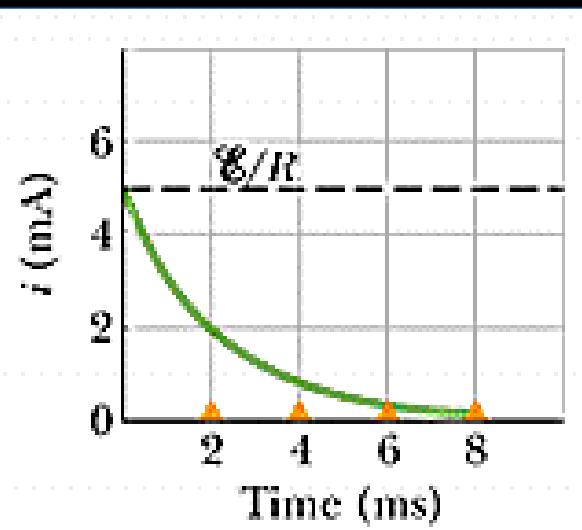
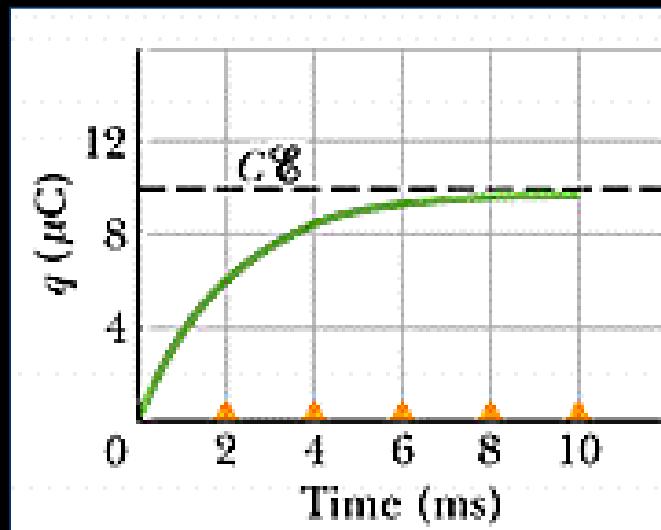
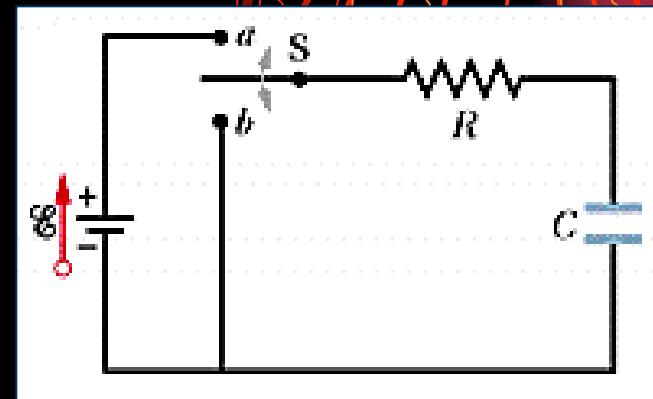


Neuromyography

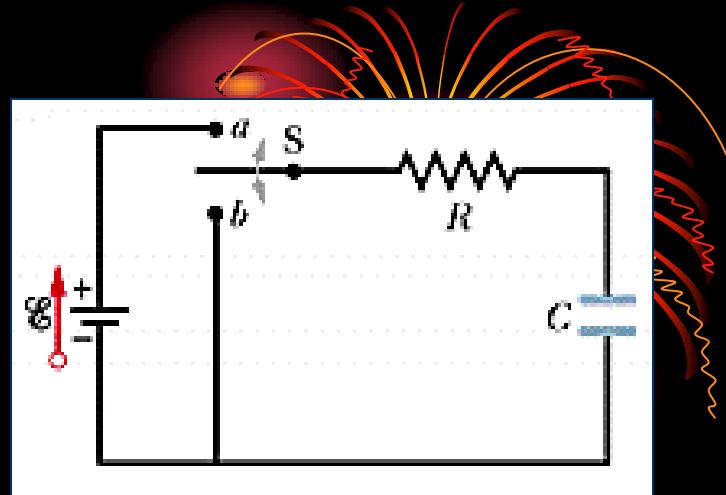


Ex.3 RC電路

電阻—電容電路



Ex.3 (cont) Charging a Capacitor



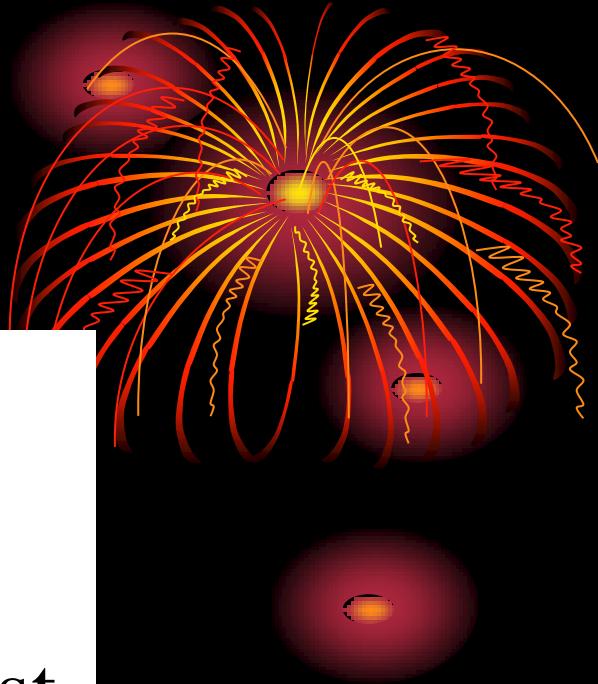
$$\mathcal{E} - iR - \frac{q}{C} = 0 , i = \frac{dq}{dt}$$

$$R \frac{dq}{dt} + \frac{q}{C} = \mathcal{E} \rightarrow \frac{dq}{dt} + \frac{q}{RC} = \frac{\mathcal{E}}{R}$$

$$\rightarrow \frac{dq}{dt} = \frac{\mathcal{E}}{R} - \frac{q}{RC} = -\frac{1}{RC}(q - C\mathcal{E})$$

$$\rightarrow \frac{dq}{(q - C\mathcal{E})} = -\frac{dt}{RC} \rightarrow \frac{d(q - C\mathcal{E})}{(q - C\mathcal{E})} = -\frac{dt}{RC}$$

Ex.3 (cont)



$$\rightarrow \int \frac{d(q - C\mathcal{E})}{(q - C\mathcal{E})} = - \int \frac{dt}{RC}$$

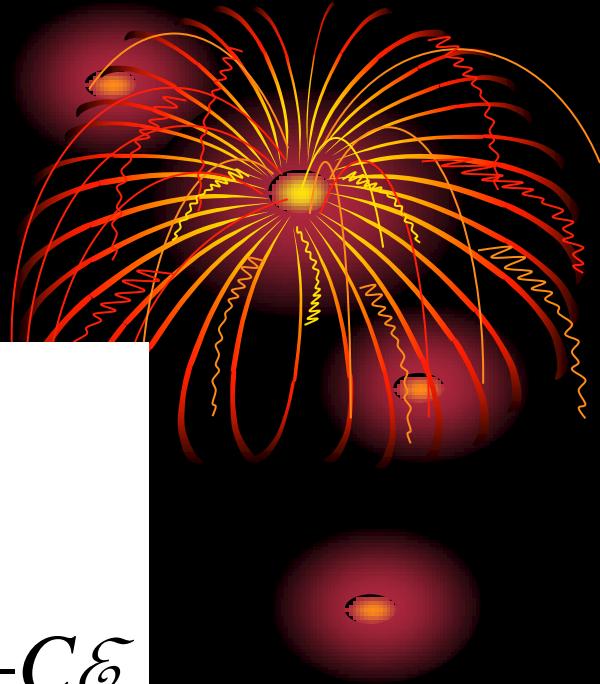
$$\rightarrow \ln(q - C\mathcal{E}) = - \frac{t}{RC} + \text{Const.}$$

$$\rightarrow q - C\mathcal{E} = e^{-\frac{t}{RC} + \text{const}}$$

$$\rightarrow q - C\mathcal{E} = e^{-\frac{t}{RC}} e^{\text{const}} = C' e^{-\frac{t}{RC}}$$

What is C'?

Ex.3 (Initial Condition)



$$\rightarrow q(t) - C\mathcal{E} = C' e^{-\frac{t}{RC}}$$

$$\xrightarrow{t=0} 0 - C\mathcal{E} = C' e^{-\frac{0}{RC}} \rightarrow C' = -C\mathcal{E}$$

$$\rightarrow q(t) - C\mathcal{E} = -C\mathcal{E} e^{-\frac{t}{RC}}$$

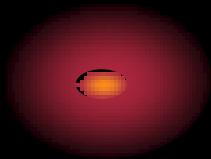
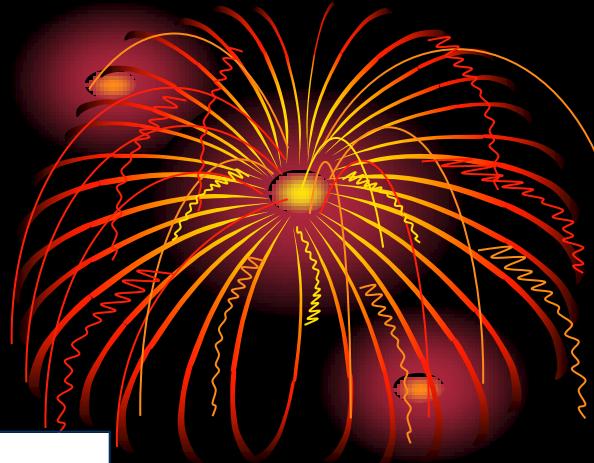
$$\rightarrow q(t) = C\mathcal{E}(1 - e^{-t/RC})$$

$$i = \frac{dq}{dt} = \left(\frac{\mathcal{E}}{R}\right) e^{-t/RC}$$

Ex.3 (cont)

$$q(RC) = C\varepsilon(1 - e^{-RC/RC}) = 0.63C\varepsilon$$

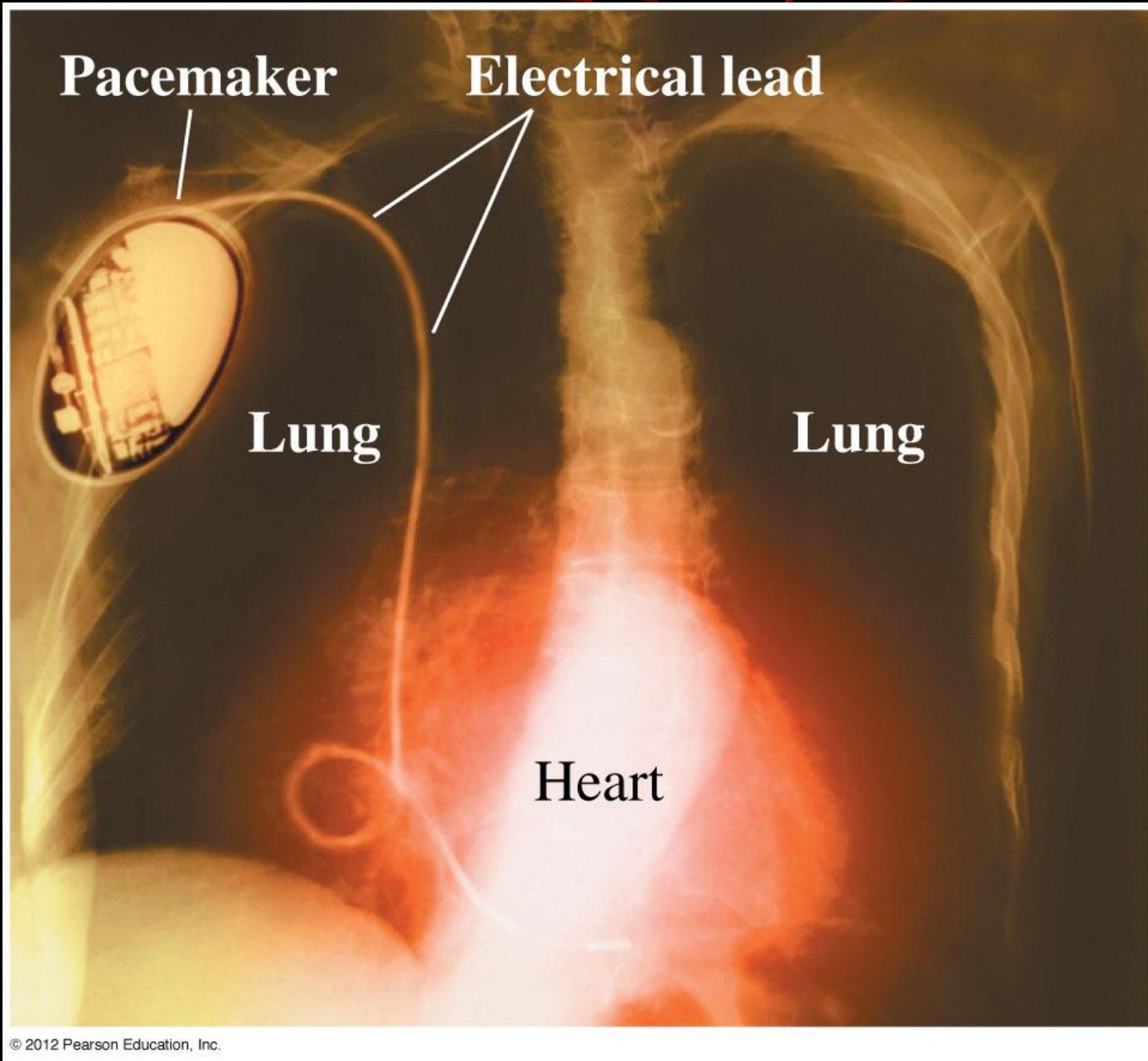
e^{-1}



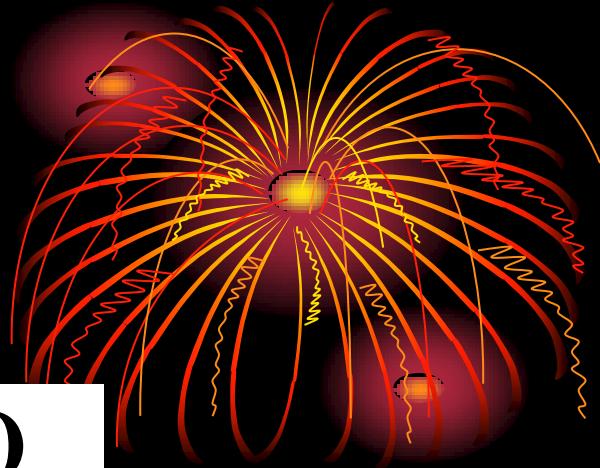
- 如果 $R = 10M\Omega$ $C = 1\mu F$

$$RC = (10 \times 10^6 \Omega)(10^{-6} F) = 10s$$

- 經過 $40s$ 後， $e=0.01$ ，充電達 99%
- 可用作間歇式雨刷等電路控制。



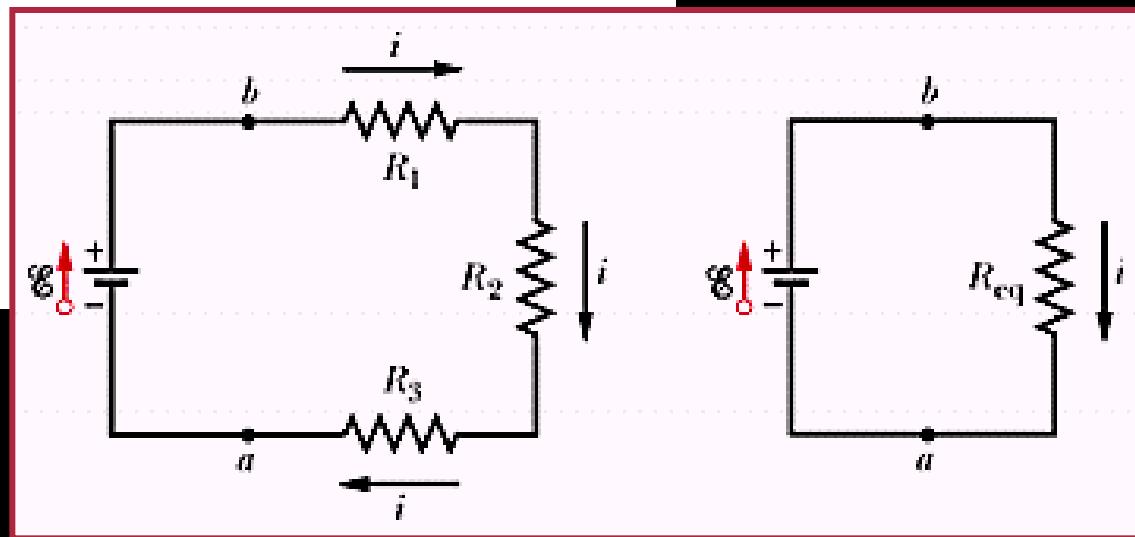
7.2 Resistance in series



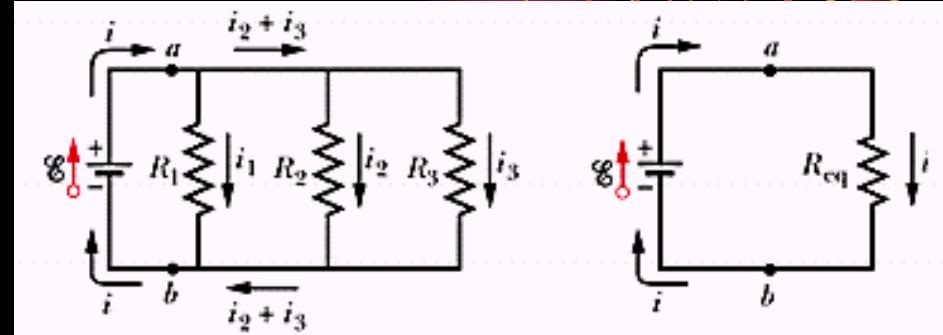
$$\mathcal{E} - iR_1 - iR_2 - iR_3 = 0$$

$$i = \frac{\mathcal{E}}{R_1 + R_2 + R_3} = \frac{\mathcal{E}}{R_{eq}}$$

$$R_{eq} = \sum_{j=1}^n R_j$$



7.3 Resistors in parallel

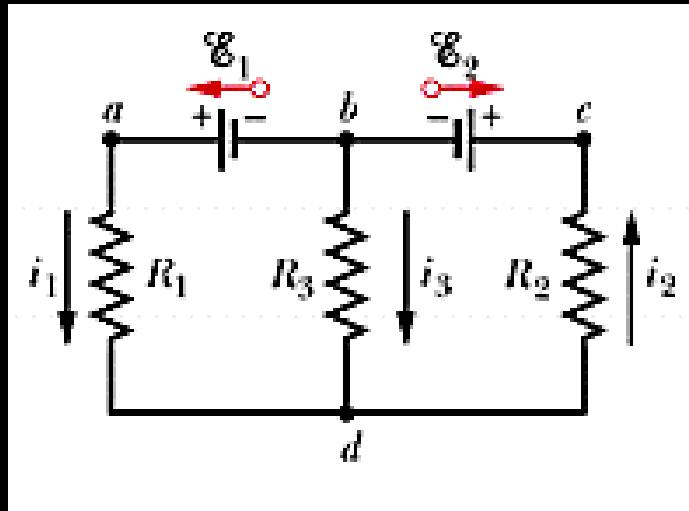


$$i_1 = \frac{\mathcal{E}}{R_1}, i_2 = \frac{\mathcal{E}}{R_2}, i_3 = \frac{\mathcal{E}}{R_3}$$

$$i = i_1 + i_2 + i_3 = \mathcal{E} \left(\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right)$$

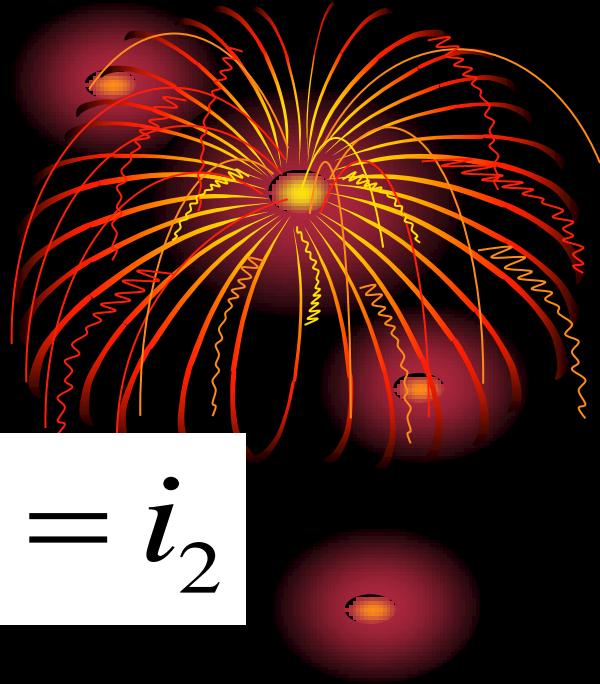
$$i = \frac{\mathcal{E}}{R_{eq}} \rightarrow \frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

Multiloop Circuits

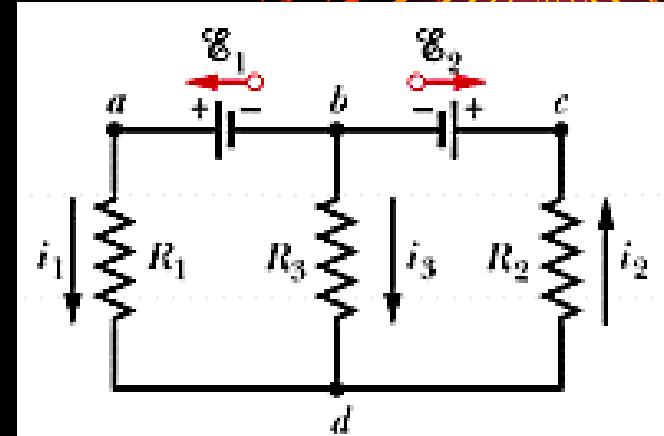
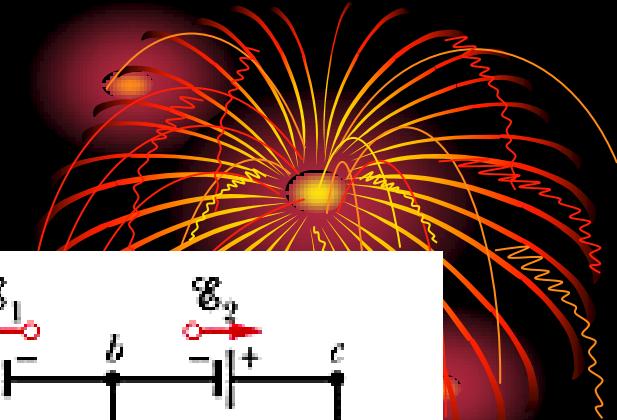


$$i_1 + i_3 = i_2$$

- The Junction rule: 流入接點之電流必等於流出者
(Kirchhoff's junction/current rule)



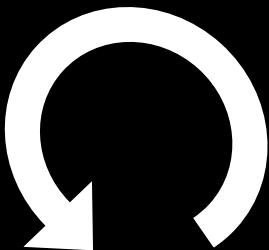
解 System of equations (聯立方程組)



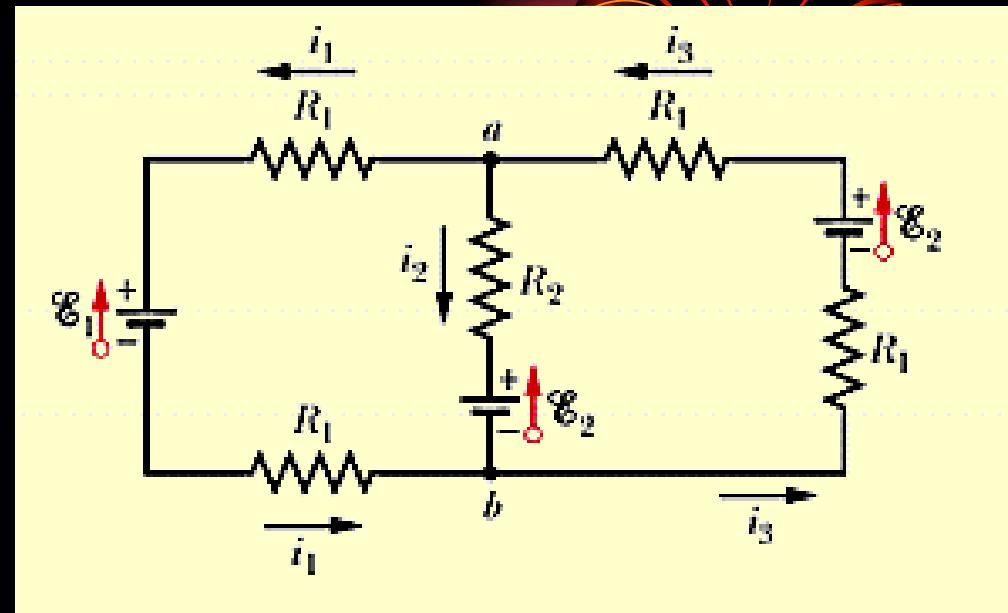
$\mathcal{E}_1 - i_1 R_1 + i_3 R_3 = 0$ left loop

$-i_3 R_3 - i_2 R_2 - \mathcal{E}_2 = 0$ right loop

$\mathcal{E}_1 - i_1 R_1 - i_2 R_2 - \mathcal{E}_2 = 0$ big loop



Ex.4 What are the currents?



$$i_3 = i_1 + i_2$$

$$-i_1 R_1 - \mathcal{E}_1 - i_1 R_1 + \mathcal{E}_2 + i_2 R_2 = 0$$

$$+ i_3 R_1 - \mathcal{E}_2 + i_3 R_1 + \mathcal{E}_2 + i_2 R_2 = 0$$

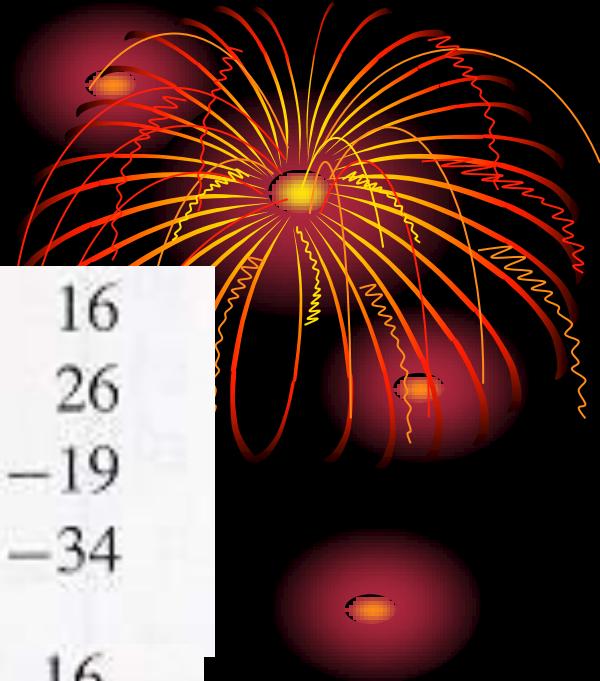
解聯立方程組

*pivot
equation*

$$\left\{ \begin{array}{l} 6x_1 - 2x_2 + 2x_3 + 4x_4 = 16 \\ 12x_1 - 8x_2 + 6x_3 + 10x_4 = 26 \\ 3x_1 - 13x_2 + 9x_3 + 3x_4 = -19 \\ -6x_1 + 4x_2 + x_3 - 18x_4 = -34 \end{array} \right.$$

$$\left\{ \begin{array}{l} 6x_1 - 2x_2 + 2x_3 + 4x_4 = 16 \\ - 4x_2 + 2x_3 + 2x_4 = -6 \\ - 12x_2 + 8x_3 + x_4 = -27 \\ 2x_2 + 3x_3 - 14x_4 = -18 \end{array} \right.$$

$$\left\{ \begin{array}{l} 6x_1 - 2x_2 + 2x_3 + 4x_4 = 16 \\ - 4x_2 + 2x_3 + 2x_4 = -6 \\ 2x_3 - 5x_4 = -9 \\ 4x_3 - 13x_4 = -21 \end{array} \right.$$



高斯消去法

$$\left\{ \begin{array}{l} 6x_1 - 2x_2 + 2x_3 + 4x_4 = 16 \\ -4x_2 + 2x_3 + 2x_4 = -6 \\ 2x_3 - 5x_4 = -9 \\ -3x_4 = -3 \end{array} \right.$$

$$x_4 = \frac{-3}{-3} = 1 \quad 2x_3 - 5 = -9$$

$$x_3 = \frac{-4}{2} = -2$$

$$x_1 = 3 \quad x_2 = 1 \quad x_3 = -2 \quad x_4 = 1$$

pivot equation

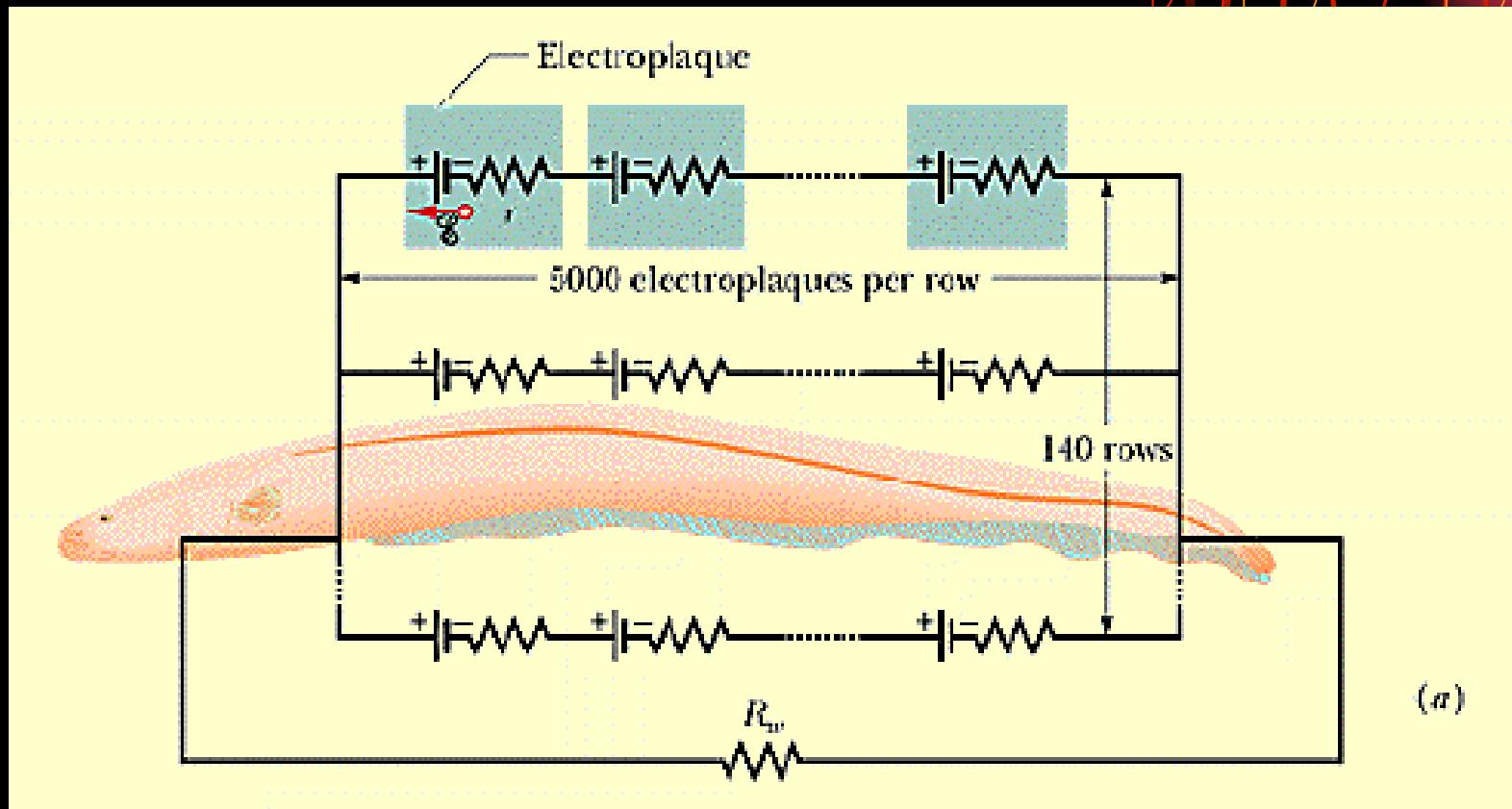
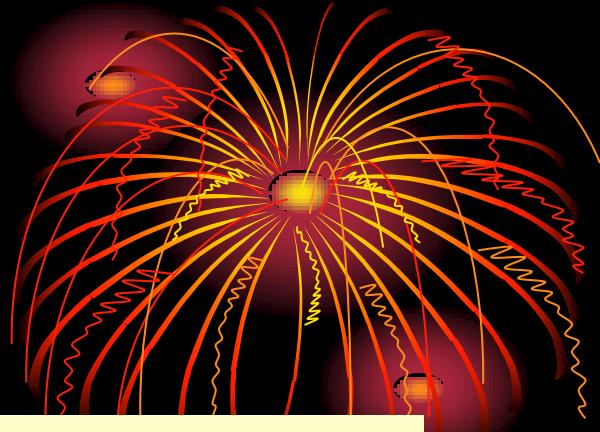
upper triangle

Forward Elimination and Back substitution

The torpedo ray

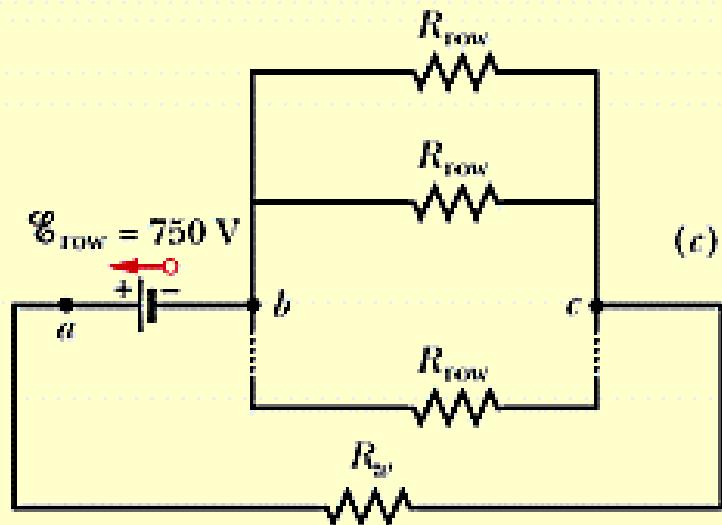
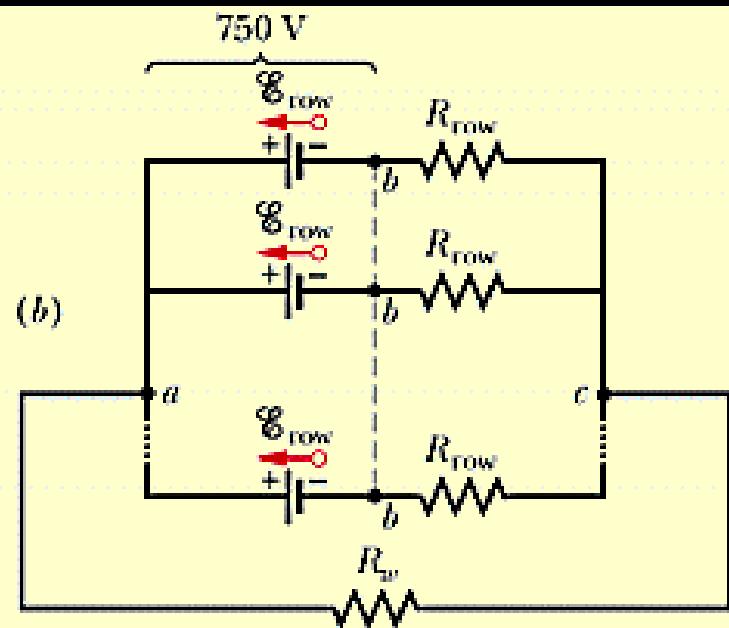
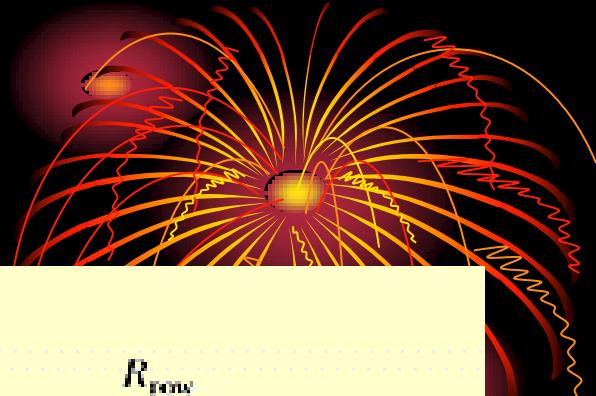


Ex.5 The electric eel

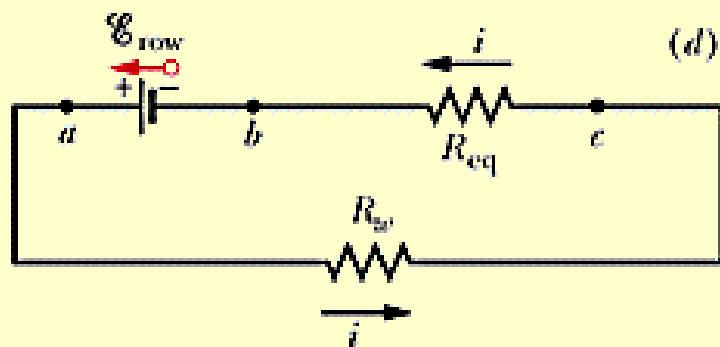


(a)

The Equivalent circuit



The surrounding water has **resistance** R_w . (b)
The **emf** E_{row} and resistance R_{row} of each row. (c) The emf between points a and b is E_{row} . Between points b and c are 140 parallel resistances R_{row} . (d) The simplified circuit, with R_{eq} replacing the parallel combination.



The current



$$\mathcal{E}_{row} = 5000 \mathcal{E}_{ep} = 750V$$

0.15V

$$R_{row} = 5000 r_{ep} = 1250\Omega$$

0.25Ω

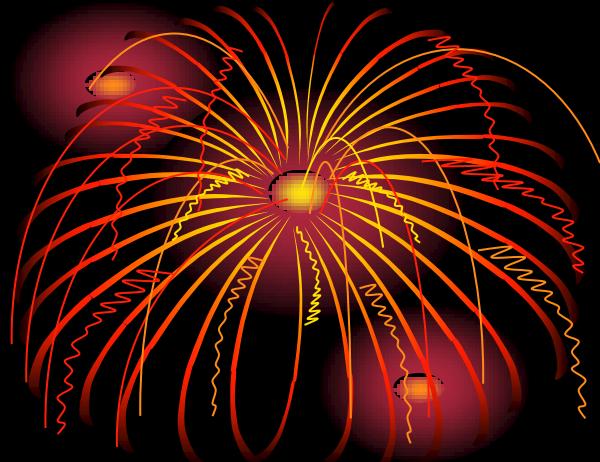
$$\frac{1}{R_{eq}} = \sum_{j=1}^{140} \frac{1}{R_j} = 140 \frac{1}{R_{row}} \rightarrow R_{eq} = 8.93\Omega$$

$R_w = 800\Omega$

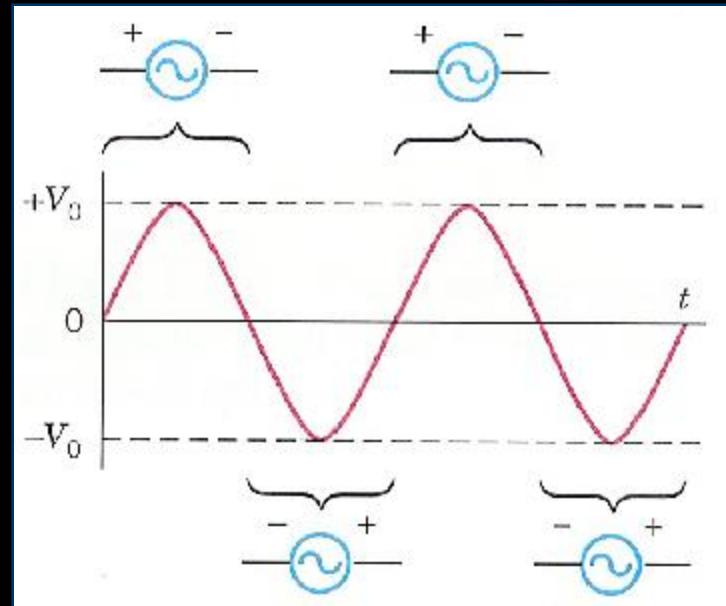
$$\mathcal{E}_{row} - iR_w - iR_{eq} = 0 \rightarrow i = 0.93A$$

$$i_{row} = i / 140 = 6.6 \times 10^{-3} A$$

7.4 交流電路



- *Alternating Current Circuit*
- $V(t) = V_0 \sin 2\pi f t$
- f 頻率 = 60Hz (赫)
- V_0 尖峰值，
一般家庭約170V



功率



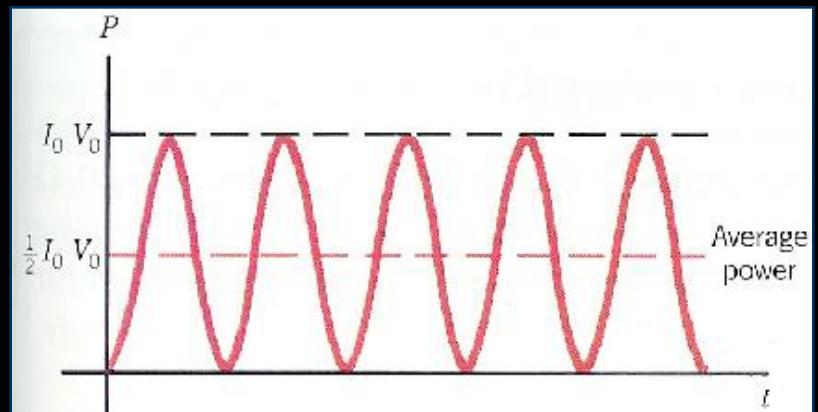
- $P(t) = I_0 V_0 \sin^2 2\pi f t$, 取時間平均值

$$\bar{P} = \frac{1}{2} I_0 V_0 = \frac{I_0}{\sqrt{2}} \frac{V_0}{\sqrt{2}} = I_{rms} V_{rms}$$

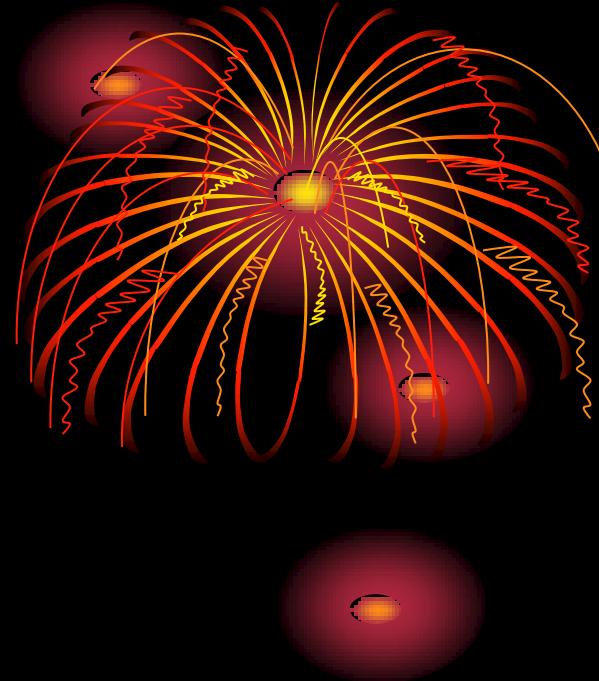
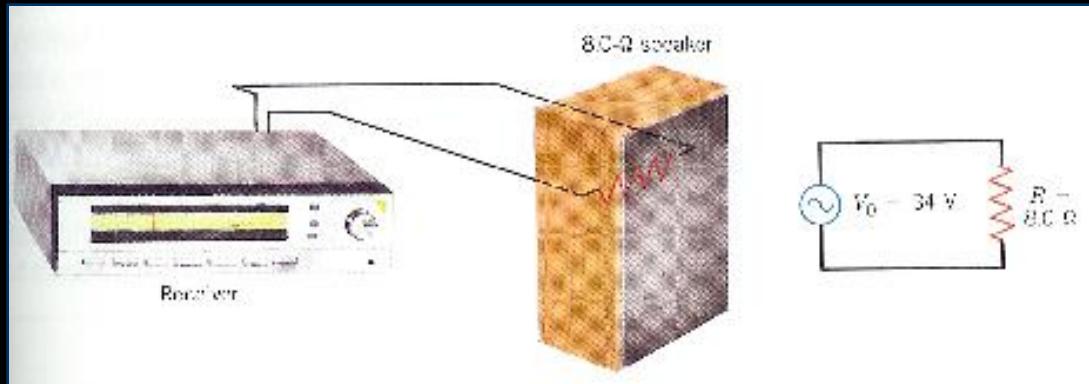
- 對交流電而言，歐姆定律變成

$$V_{rms} = I_{rms} R$$

$$\bar{P} = I_{rms} V_{rms} = I_{rms}^2 R = \frac{V_{rms}^2}{R}$$



Ex.5 72W 音箱



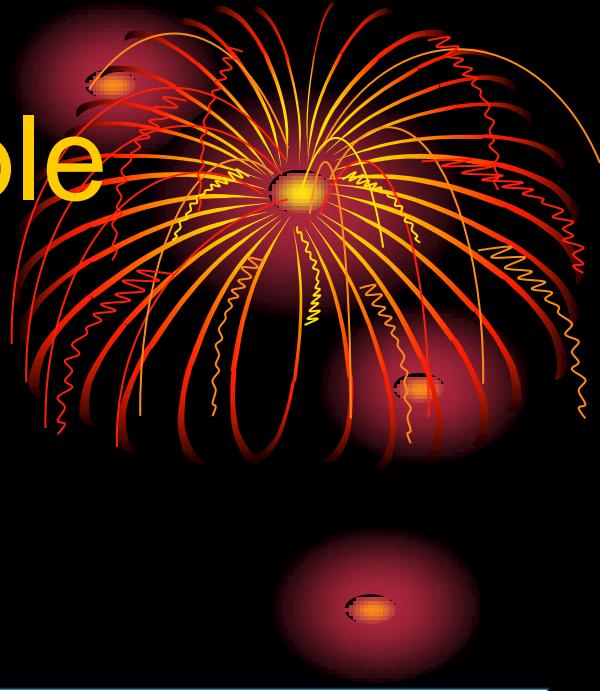
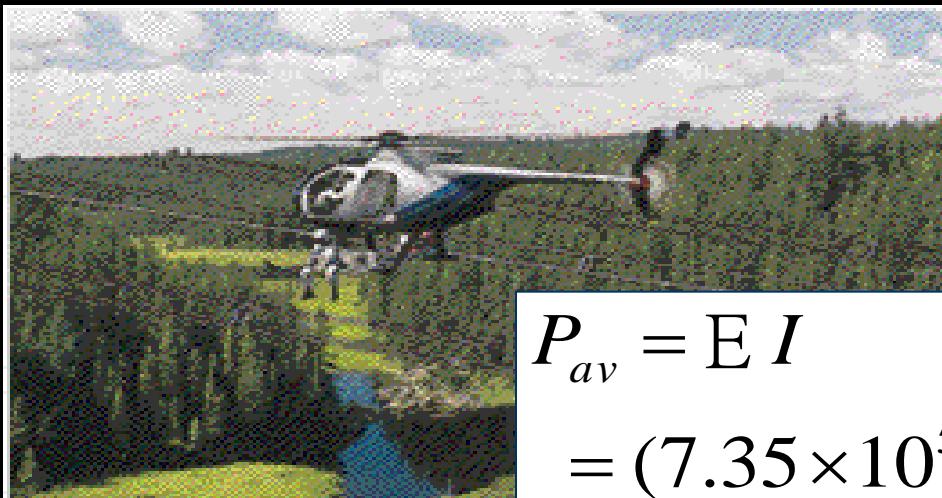
$$V_{rms} = \frac{V_0}{\sqrt{2}} = \frac{34V}{\sqrt{2}} = 24V$$

$$I_{rms} = \frac{V_{rms}}{R} = \frac{24V}{8.0\Omega} = 3.0A$$

$$\bar{P} = I_{rms} V_{rms} = 72W$$

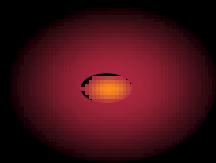
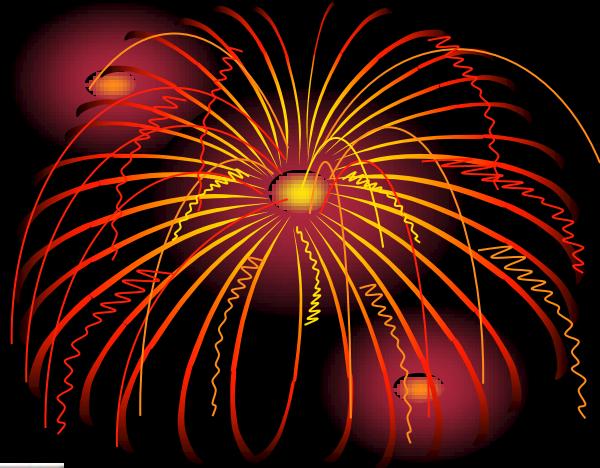
Ex.6 A practical example

Quebec → Montreal

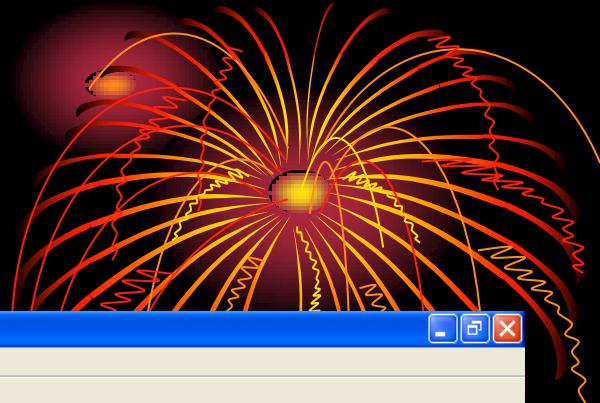


$$\begin{aligned}P_{av} &= E I \\&= (7.35 \times 10^5 \text{ V})(500\text{A}) = 368\text{MW} \\P_{av,1} &= I^2 R = (1000\text{A})^2 \\&\times (0.22\Omega / m \times 1000km) = 220\text{MW} \\P_{av,2} &= I^2 R = (500\text{A})^2 \\&\times (0.22\Omega / m \times 1000km) = 55.0\text{MW}\end{aligned}$$

7.5 虛擬電路實驗



7.6 Orcad-PSpice



Capture CIS - Demo Edition

File Edit View Place Macro PSpice Accessories Options Window Help

Schematic1-exam

C:\test\test.opp

I - (SCH) Run PSpice PAGE1

Analog or Mixed A/D

Design Resources

- + Nest.dsn
- + Library

Outputs

- + Nest-pspicefiles\schem

PSpice Resources

Session Log

Writing PSpice Flat Netlist C:
PSpice netlist generation con
Creating PSpice Netlist
Writing PSpice Flat Netlist C:
PSpice netlist generation con
Creating PSpice Netlist
Writing PSpice Flat Netlist C:
PSpice netlist generation con

V1

R1 1k

R2 9k

OPAMP U3

R3 1k

VOFF = 0
VAMPL = 1.2V
FREQ = 1k

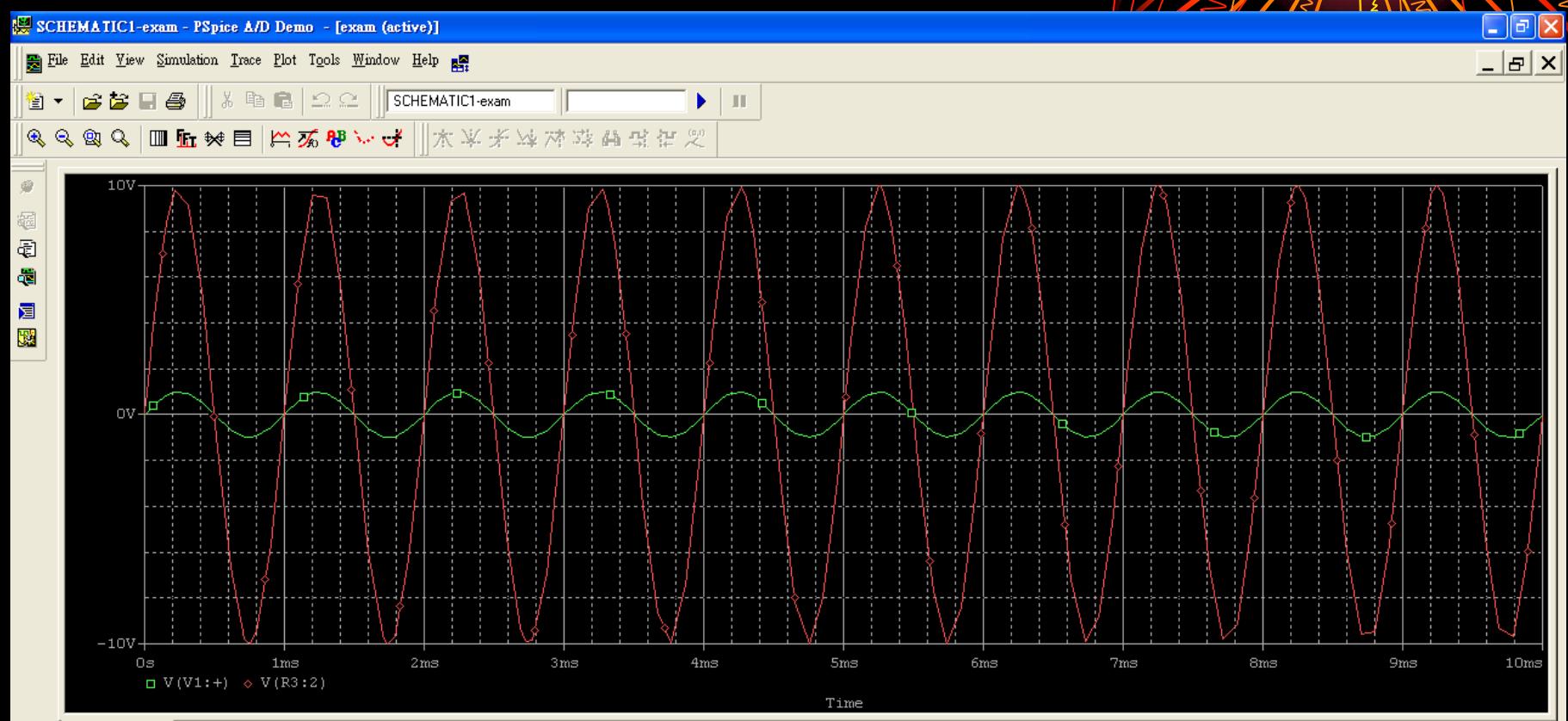
Run PSpice simulation for active profile.

0 items selected

Scale=200% X=1.50 Y=1.80

```
VOFF = 0
VAMPL = 1.2V
FREQ = 1k
```

7.7 Simulation



exam (active)

Simulation running...
** Profile: "SCHEMATIC1-exam" [C:\Test\PSpiceFiles\SCHEMATIC1\exam.sim]
Reading and checking circuit
Circuit read in and checked, no errors
Calculating bias point for Transient Analysis

Time step = 9.497E-06 Time = .01 End = .01

Analysis Watch Devices

For Help, press F1

Time=.01

100%



