

# Home Work 6

6-1 In Fig. 27-52, two batteries of emf  $\mathcal{E} = 12.0 \text{ V}$  and internal resistance  $r = 0.300 \Omega$  are connected in parallel across a resistance  $R$ . (a) For what value of  $R$  is the dissipation rate in the resistor a maximum? (b) What is that maximum? (HRW27-41)

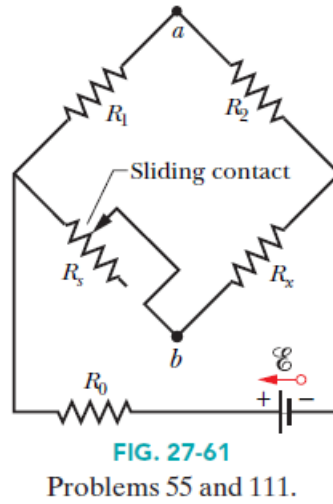
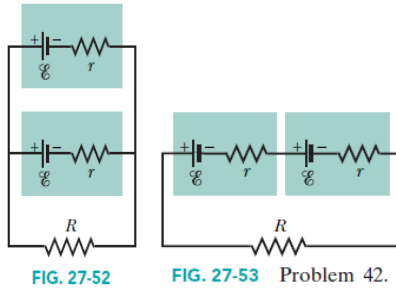
6-2 Two identical batteries of emf  $\mathcal{E} = 12.0 \text{ V}$  and internal resistance  $r = 0.200 \Omega$  are to be connected to an external resistance  $R$ , either in parallel (Fig. 27-52) or in series (Fig. 27-53). If  $R = 2.00r$ , what is the current  $i$  in the external resistance in the (a) parallel and (b) series arrangements? (c) For which arrangement is  $i$  greater? If  $R = r/2.00$ , what is  $\mathcal{H}$  in the external resistance in the (d) parallel and (e) series arrangements? (f) For which arrangement is  $\mathcal{H}$  greater now? (HRW27-42)

6-2 In Fig. 27-61,  $R_s$  is to be adjusted in value by moving the sliding contact across it until points a and b are brought to the same potential. (One tests for this condition by momentarily connecting a sensitive ammeter between a and b; if these points are at the same potential, the ammeter will not deflect.) Show that when this adjustment is made, the following relation holds:  $R_x = R_s R_2 / R_1$ . An unknown resistance ( $R_x$ ) can be measured in terms of a standard ( $R_s$ ) using this device, which is called a Wheatstone bridge. (HRW27-55)

6-3 (a) If points a and b in Fig. 27-61 are connected by a wire of resistance  $r$ , show that the current in the wire is

$$i = \frac{\mathcal{E}(R_s - R_x)}{(R + 2r)(R_s + R_x) + 2R_s R_x}$$

Where  $\mathcal{E}$  is the emf of the ideal battery and  $R = R_1 = R_2$ . Assume that  $R_0$  equals zero. (b) Is this formula consistent with the result of Problem 55? (HRW27-111)



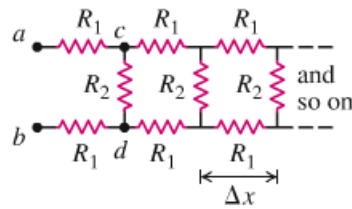
**26.91 ••• An Infinite Network.**

As shown in Fig. P26.91, a network of resistors of resistances  $R_1$  and  $R_2$  extends to infinity toward the right. Prove that the total resistance  $R_T$  of the infinite network is equal to

$$R_T = R_1 + \sqrt{R_1^2 + 2R_1R_2}$$

(Hint: Since the network is infinite, the resistance of the network to the right of points  $c$  and  $d$  is also equal to  $R_T$ .)

Figure P26.91



**26.92 •••** Suppose a resistor  $R$  lies along each edge of a cube (12 resistors in all) with connections at the corners. Find the equivalent resistance between two diagonally opposite corners of the cube (points  $a$  and  $b$  in Fig. P26.92).

Figure P26.92

